

## PERFORMANCE ASSESS OF SELF-EXCITED IG DRIVEN BY WIND TURBINE WORKING WITH FC-TCR

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Received 22/2/2021

Accepted in revised form 1/5/2021

Published 1/9/2021

**Abstract:** This work presented a self-excited induction generator (SEIG) model controlled by an (FC-TCR) fixed capacitor-thyristor control reactor consisting of a large fixed capacitor in parallel with a thyristor controlled reactor in series with the constant inductance. Induction machines were used because they are capable of working at different speeds. The 3-phase IG was driven by the prime mover that represents the wind turbine. Also, constant voltage and frequency were obtained, regardless of the change in velocity, by using proportional integration (PI control) for each of them. This type of generator is used in isolated rural areas far from power transmission lines. The voltage and frequency are analyzed for each wind speed proposed in the model and calculating the required excitation amplitude and torque required to drive the induction generator. Therefore, it is now a key interest to develop an efficient, viable, economic, and controllable induction generator for harnessing energy from renewable sources. The strategy of control was implemented with MATLAB/Simulink.

**Keywords:** SEIG, FC-TCR, Wind Turbine, MATLAB/Simulink.

### 1. Introduction

Meeting the energy demand of the rising population from traditional energy sources, such as coal, gas, etc., has become very difficult. Power companies have now turned their focus to non-conventional energy sources such as wind, solar, biogas, etc., to address these problems, as they are available in abundance, sustainable, and environmentally friendly. The main objective is

the production of economical and effective power generators [1]. Due to their simplicity and advantages, squirrel cage induction generators equip a significant part of the wind turbine generator in mini power plants. Once the machine shaft is driven to rotate above synchronous speed, regeneration operation is automatic [2]. There is no external reactive power in the stand-alone operating mode, and the generator must be self-excited. This problem can be solved by connecting the suitable capacitor bank with stator terminals in the system. This operating mode is highly valued since, and thus decentralized electrical sources are allowed to do so. HOWEVER, the SEIG dynamical behavior becomes more complicated because of the wind speed, the exciting capacitance, and the variance in load demand will significantly affect voltage and frequency [3]. Jyotirmayee proposed a bidirectional PWMSI connected to the IG and operated in closed-loop control mode with a DC-link battery to maintain the voltage and frequency [4]. Khaled investigates the impact of converting AC-DC power on the generator, the self-excited IG's dynamic performance during start-up [5]. Ramachandran presents a procedure

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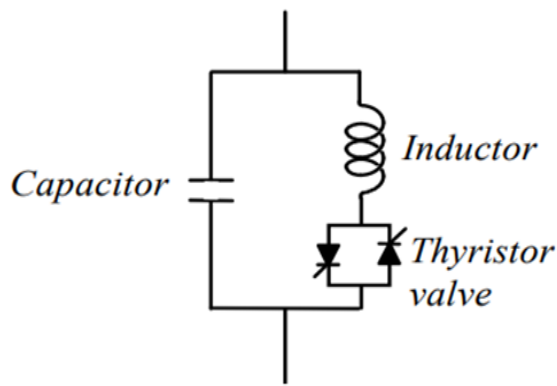


Figure 2. An FC-TCR Branch per Phase

Each phase consists of one reactor, controlled by a back-to-back thyristor switch, supplied by one or more fixed capacitor banks. The reactance impedance is rated to equal the maximum required value of capacitance impedance. The largely required reactor in FC-TCR can be a source of odd harmonics, which its magnitude has a proportional relationship with the size of FC-TCR. The amount of supplied reactive power is controlled by controlling the current through the reactor by controlling the period's duration in each half cycle by issuing gating pulses to the thyristors. The thyristor is self-commutates at every current zero. Therefore the current through the reactor is achieved by firing the thyristor at the desired firing angle  $\alpha$  concerning waveform of the voltage.

### 3. Process of The Self-Excitation

The direction of induced torque is reversed when an IM is powered by an external prime mover that runs faster than the synchronous speed (negative slip) and begins working as an induction generator. The real power flows out of the system, but the machine requires reactive power. In the conversion of wind energy systems applications, the key disadvantage of the induction generator is the need for leading reactive power to build up terminal voltage and produce electric power. This leading reactive

power can be generated by the use of a terminal capacitor across generator terminals.

A small terminal voltage is generated by residual magnetism present in the rotor iron  $0-Er1$  across stator terminals when the rotor of the induction machine is operated at the required speed. This voltage creates a capacitor current  $0-a$ . This current generates a flux that supports the residual flux, thus generating more flux and producing more voltage across  $b-Er2$ -represented stator terminals. In the capacitor bank, this voltage sends a current that ultimately produces the  $d-Er2$  voltage. This cumulative voltage build-up process continues until the induction generator saturation curve intersects the capacitor load line at a point called the operating point. As shown in "Fig. 3", the voltage build-up affects the capacitor value. The higher the capacitance value, the greater the voltage build-up.

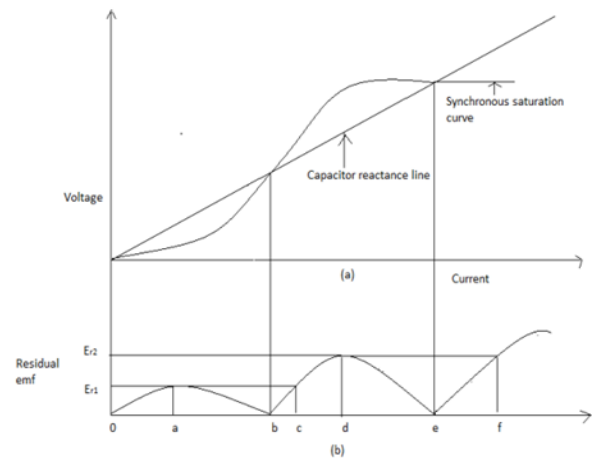


Figure 3. Voltage Build-up in a Self-Excited IG (a) The Capacitor Load Line & the Saturation curve, (b) Difference Between Them [13].

## 4. Mathematical Background

### 4.1 Wind Turbine [14-15]

The simple wind turbine theory through which we can apply Newton's laws in mechanics, where it is assumed here that the airflow (axial and centered towards the wind turbine) shows that the

energy acquired by the turbine is part of the energy possessed by the wind. The kinetic energy in the varying wind turbine speed is converted into mechanical energy by the wind turbine rotor, the kinetic energy of air currents that have mass ( $m$ ) and move at speed ( $v$ ) is given by the relation:

$$E = \frac{1}{2}mv^2 \tag{1}$$

Since wind turbine have blades and each has a certain length ( $R$ ), the area of the circle ( $A$ ) is equal to:

$$A = \pi R^2 \tag{2}$$

Then the wind will form a tube that has an area of ( $A$ ), which follows that the mass is given in the following relationship:

$$m = \rho Av \tag{3}$$

$m$ , the mass of air.  $\rho$ , the density of air.  $A$ , turbine swept area.  $v$ , wind speed.

By substituting Equation 3 in Equation 1, the kinetic energy of the wind is produced. It becomes clear to us that the energy affecting the wind turbine depends on the area  $A$  that the blades make as they rotate and on the density  $\rho$  and velocity  $v$  of the air, and the latter is the most influential factor due to the third force:

$$E = \frac{1}{2}\rho Av^3 \tag{4}$$

The coefficient that goes into determining the production efficiency of the wind turbine in the production of electrical energy and this efficiency is usually determined by the energy that the turbine acquires from the energy provided by the wind, and thus the power coefficient  $C_p$  of the rotor and can be defined as the ratio between the wind mechanical output power  $P_w$  of the rotor to the power possessed by the wind  $E$ , which is given by the relation:

$$C_p = \frac{2P_w}{\rho Av^3} \tag{5}$$

Then the wind mechanical output power is:

$$P_w = \frac{1}{2}\rho C_p Av^3 \tag{6}$$

The ratio between the tip-speed of the rotor  $\lambda$  and the wind speed  $v$  is expressed in the following relationship:

$$\lambda = \frac{R \omega}{v} \tag{7}$$

$$\omega = \frac{2\pi N}{60} \tag{8}$$

$\lambda$ , is the tip-speed ratio.  $\omega$ , the angular velocity  $N$ , the rotational speed.

### 4.2 SEIG

The d-q axis model of an induction machine has been commonly used; under three-phase balanced conditions, the model is typically modified to analyze the machine's performance. The findings obtained from the d-q axis induction machine model can become very complicated if the device is studied under an unbalanced three-phase operating condition, as a zero induction machine model will be very difficult, the zero axis quantity will be produced leads to the zero sequence component [16].

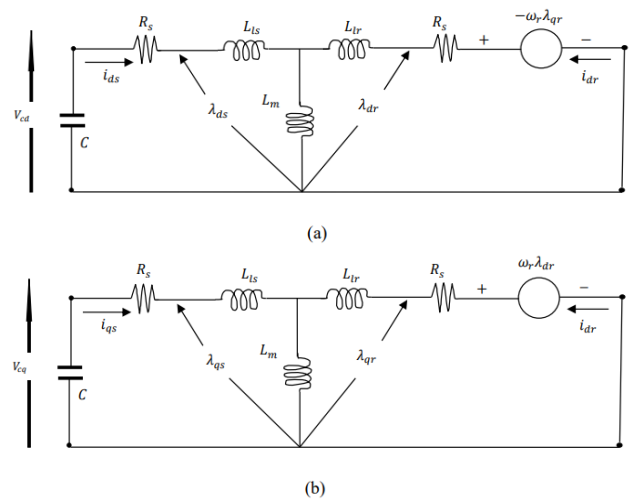


Figure 4. D-Q axes of an IG, (a) D-axis, (b) Q-axis

Rearranging the terms after taking the loop for "Fig. 4", we can writing equations:

$$V_{ds} = r_s \cdot i_{ds} + P\lambda_{ds} \quad (9)$$

$$V_{qs} = r_s \cdot i_{qs} + P\lambda_{qs} \quad (10)$$

$$V_{dr} = r_r \cdot i_{dr} + P\lambda_{dr} + \omega \cdot \lambda_{qr} \quad (11)$$

$$V_{qr} = r_r \cdot i_{qr} + P\lambda_{qr} - \omega \cdot \lambda_{dr} \quad (12)$$

$V_{ds}, V_{qs}, i_{ds}$ , and  $i_{qs}$  Are the stator voltages and currents.  $V_{dr}, V_{qr}, i_{dr}$ , and  $i_{qr}$  Are the rotor voltages and currents.  $\lambda_{ds}, \lambda_{qs}, \lambda_{dr}$  and  $\lambda_{qr}$  Are the stator and rotor fluxes, respectively.  $r_s$  and  $L_{ls}$  Are the resistance and the self-inductance of the stator.  $r_r$  and  $L_{lr}$  Are the resistance and the self-inductance of the rotor.

The electromagnetic torque can be expressed in terms of the stationary reference variables by [17-18]:

$$T_{em} = \frac{3P}{2} (\lambda_{ds} \cdot i_{qs} - \lambda_{qs} \cdot i_{ds}) \quad (13)$$

### 4.3 Estimation of Excitation Capacitance

The value of the excitation capacitance (maximum and minimum) can be calculated as follows [19]:

$$S^2 = P^2 + Q^2 \quad (14)$$

$$S = \sqrt{3} \times V_{line} \times I_{line} \quad (15)$$

$$P = S \cos \theta \quad (16)$$

$$Q = \sqrt{(S^2 - P^2)} \quad (17)$$

$$Q_{phase} = \frac{Q}{3} \quad (18)$$

$$C_{max.} = \frac{Q}{2\pi f (V_{line})^2} \quad (19)$$

$$C_{min.} = \frac{1}{2\pi f X_m} \quad (20)$$

## 5. System Modelling by Matlab/Simulink

Table. 1 and Table. 2 show the all information about the machine that use in this work with the turbine:

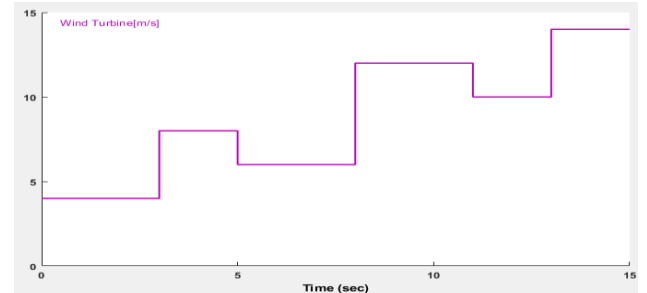
**Table 1. SEIG-Parameters**

Parameters	Values	Units
Rated Power	15	kW
Rated Voltage	400	V
Rated Current	29	A
Frequency	50	Hz
Poles Number	4	pole
Resistance of stator	0.2147	$\Omega$
Resistance of rotor	0.2205	$\Omega$
Inductance of stator	0.000991	H
Inductance of rotor	0.000991	H

**Table 2. Wind Turbine Parameters**

Parameters	Values	Units
Blade Radius	5.5	m
Pitch Angle	0°	Deg.
Gear Ratio	90	-
Rated Wind Speed	4-14	m/s

The different wind speeds were represented using a ready-made block in the program called the signal builder and taking different values that simulate the wind speed (4, 8, 6, 12, 10, and 14 m/s) as shown in "Fig. 5"



**Figure 5. Wind Speed Representation in Matlab/ Simulink**

The wind speed was converted from m / s (meter per second) to r.p.m (revolution per minute) to simulate the mechanical input of a self-excited induction generator by using the equation which converts the velocity from linear velocity (which was simulated as a different wind speed) to

rotational velocity (which represents the mechanical speed for entering the SEIG) and using a fixed gear ratio mechanical of the turbine approved in previous references.

In this system, the building behavior of the voltage, current, and frequency was studied at a period and within (15sec.), and the programmatic results proved the construction state and the stability of the self-excited inductive generator work for each load condition and the total time were divided into certain periods each period simulating a certain wind speed, for example, the period from (0 - 3 sec.) corresponds to a wind speed of 4 m/s, and from (3 - 5sec.) corresponds to 8 m/s, and from (5 - 8sec.) corresponds to 6 m/s, and from (8 - 11sec.) it corresponds to 12 m/s. From (11-13sec.), it corresponds to 10 m/s, and finally, the period from (13-15 sec.) corresponds to wind speed of 14 m/s. "Fig. 6", shows the complete SEIG model.

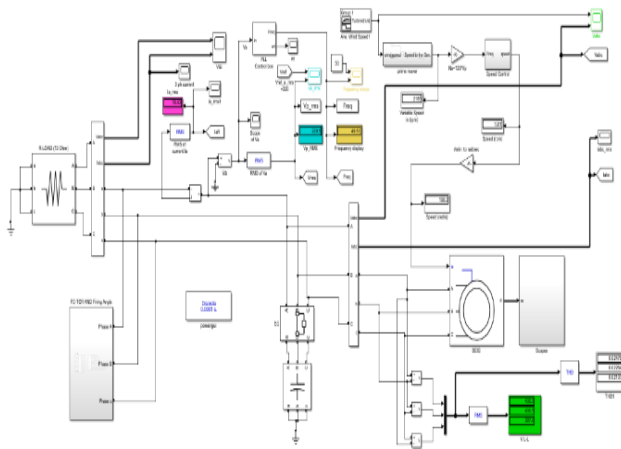


Figure 6. Complete SEIG model

1. Results and discussion

Case (1) at unity power factor for R-load (13Ω) with variable speed wind turbine, we listed the results in table 3. The values of each of the voltage, frequency and current and compare them with the case of inductive load, which we will deal with later.

Table 3. Case (1) SEIG results under resistive load

Wind speed [m/s]	Prime Mover Speed [r.p.m]	F [Hz]	V <sub>ph.</sub> [V]	I <sub>ph.</sub> [A]
4	625	49.3	238.9	19.38
8	1250	49.34	238.5	19.26
6	937.6	49.32	238.9	19.28
12	1875	49.35	239.8	19.28
10	1563	49.32	240.1	19.49
14	2188	49.33	242.1	19.46

The three-phase sine wave signal at any variable speed under resistive load was shown in "Fig. 7",

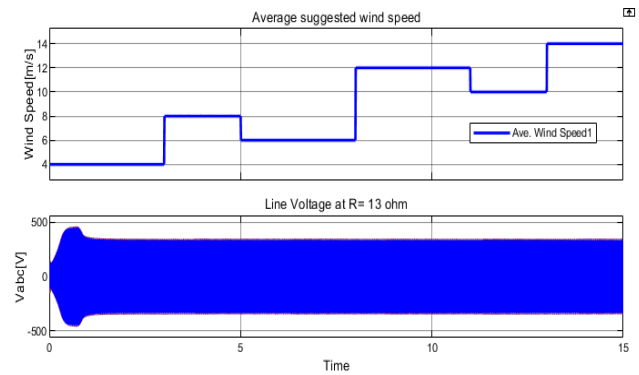


Figure 7. Line Voltage under R-Load with variable speed

The THD is an index of the closeness in shape between the waveform and its fundamental component and is defined as [20]

$$THD = \left[ \left( \frac{v}{v_1} \right)^2 - 1 \right]^{1/2} \tag{21}$$

Where, V<sub>1</sub> is the voltage fundamental R.M.S component.

The (THD) shown in "Fig. 8", At start time 5s with 6 m/s is 2.84%, and in 11s with 10m/s is 2.48%.

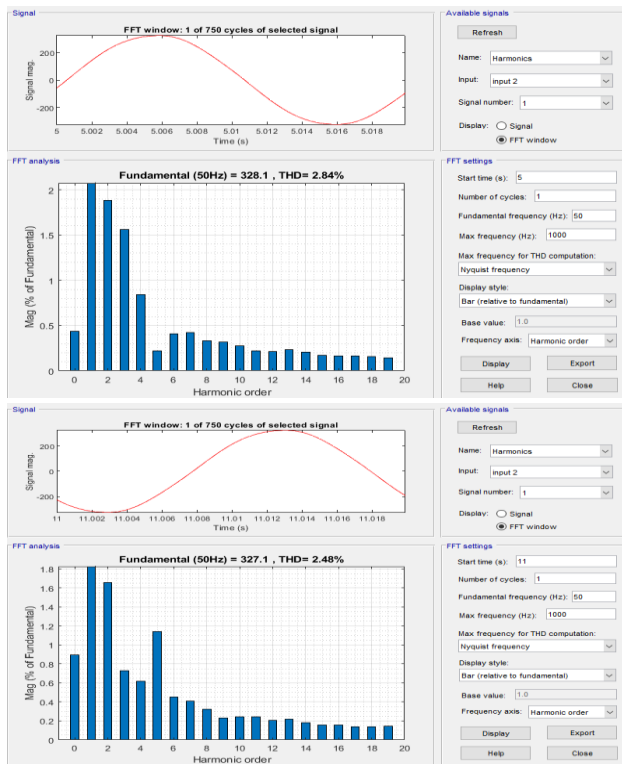


Figure 8. Total Harmonic Distortion in R- Load

"Fig. 9", shows the electromagnetic torque generated by SEIG.

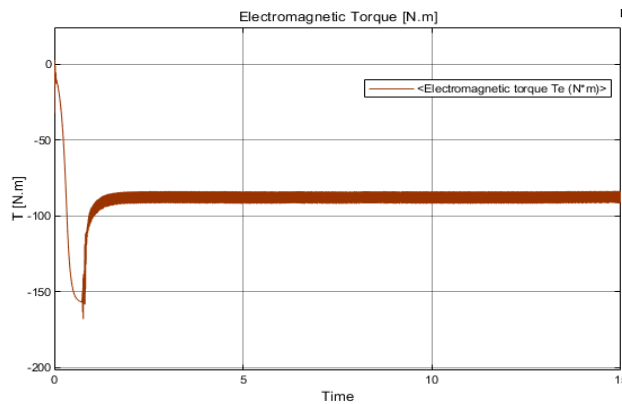


Figure 9. Electromagnetic Torque Generated

The three-phase currents with resistive load were shown in "Fig. 10".

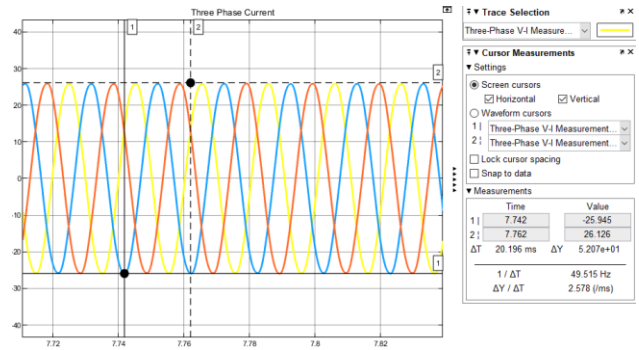


Figure 10. Three- Phase currents under R-Load

Case (2) at a (0.85) lagging power factor with RL-load ( $R=12\Omega$  and  $L=0.6mH$ ) with variable speed wind turbine. The results of this case were shown in table. 4 the values of each of the voltage, frequency and current, as more current was consumed in this case and the frequency is less when compared with the case of the load resistance only. And "Fig. 11" It shows the three-phase voltage wave and the current stability of the system and reading the frequency values.

Table 4. Case (2) SEIG results under RL-Load

Wind speed [m/s]	Prime Mover Speed [r.p.m]	F [Hz]	$V_{ph}$ [V]	$I_{ph}$ [A]
4	625	49.25	226.8	19.87
8	1250	49.25	230	20.04
6	937.6	49.25	232.1	20.23
12	1875	49.28	229.6	20.04
10	1536	49.27	230.6	20.3
14	2188	49.26	230.7	20.02

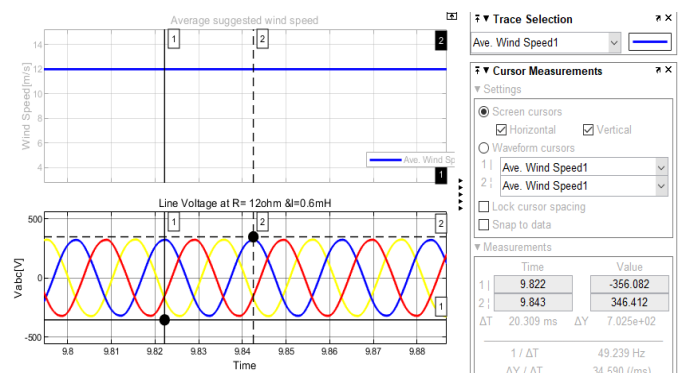
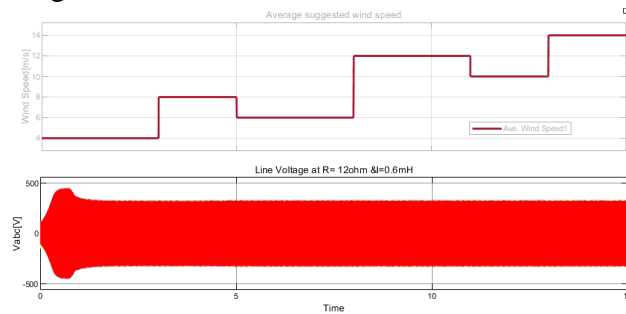


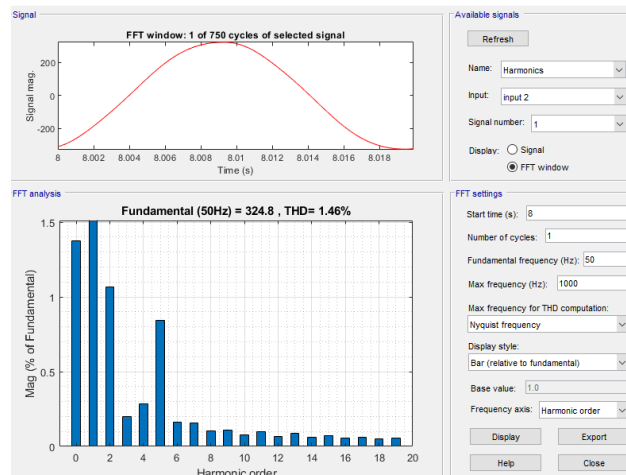
Figure 11. Three phase voltage & Frequency

The three-phase voltage signal is stable at any wind speed under the inductive load, as shown in "Fig. 12".



**Figure 12.** 3- Phase Voltage with variable wind speed.

The (THD) of the system for RL-load is shown in "Fig. 13", at start time 8s with 12 m/s is 1.46%. This figure describes the harmonics and distortions of the voltage and frequency waveform and determines their values.



**Figure 13.** Total Harmonic Distortion in RL-Load

## 2. Conclusion

The SEIG model was presented using Matlab Simulink, where the FC-TCR control system was successfully used to ensure obtaining a three-phase sine voltage wave regardless of the change in wind speed and a constant frequency and work under pure resistance loads, resistance load, and inductance as the generated voltage follows the constant changes of wind speed. The excitation values of the capacitors connected across the generator's terminals were calculated to maintain

the level of safety saturation within certain limits and avoid the high levels of saturation or its loss.

## Acknowledgments

We want to thank the Electrical Engineering Department at the College of Engineering, University of Al-Mustansiriyah, for completing this research. We thank all colleagues who also helped us.

## Conflict of interest

The publication of this article does not cause any conflict of interest with any other publication and is only for the Journal of Engineering and Sustainable Development (JEASD).

## Abbreviations

IG	induction generator
SEIG	Self- excited induction generator
FC-TCR	Fixed capacitor-Thyristor control reactor
PI	Proportional integrations
VAR	Volt Ampere Reactive
DC	Direct Current
PWMSI	Pulse width modulation source inverter
AC	Alternating current
GA	genetic algorithm
MPPT	The maximum power point tracking
ITIBC	the instantaneous torque impulse balance control
S	Apparent power in VA
P	Active power in W
Q	Reactive power in VAR
THD	Total Harmonic distortion

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