

(VAR)

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2008-5-15

2007-1-2

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تاريخ التسلم : 2008/7/ 9 تاريخ القبول : 2008/10/ 22

Analysis the relationship between world prices of Oil, Euro and Gold Using Vector Autoregressive (VAR)

Abstract

This research analyze the cross relationship between world prices for each of the Opec Oil, Euro exchange and Gold,in a system of three equations by using Vector Autoregressive Model.To specify and measure the direction of the causal relationship between the variables. We use Granger causality and specify two equations according to the last test,the first is:the relationship of the Euro exchange with the Opec Oil prices,world Gold prices and with their lags. The second is:the relationship of the Gold price with Euro exchange,Opec Oil price with their lags.We use co-integration test to determine if there is a long run relationship between the variables in this research. For the purpose of analysis we use daily data for the period from 2-1-2007 to 15-5-2008.It is obvious from the analysis that there is interlocation relationship between world prices of the variables in this study. It is also clear that is the variable of Opec Basket price is Exogenous, while the world prices of each Gold and Euro is Endogenous variables.

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1-1

(VAR) (Vector AutoRegression)

multivariate)

(time series

(univariate autoregressive model)

.(Dynamic multivariate time series)

(VAR)

(VAR)

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(Univariate time series)

(VAR)

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1-2 -:

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(order of integration)

(Unit Roots)

(Stationary)

co-)

: .

(integration

: .()

(Causality test)

1-3 -:(Unit Roots Tests)

(Stochastic Trends)

First) ($\Delta y_t = y_t - y_{t-1}$)

(Difference

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- (Augmented Dickey and Fuller (1981))

(PP) (Phillip-Perron(1988))

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[18]

-(ADF) Augmented Dickey-Fuller test

(1979)

(DF)(Dickey and Fuller (1979))

(1981)

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(Endres,Walter:1995)

Ordinary)

.(OLS) (Least Squares

Ramona Sinoha-)

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-(Lopete:2004

$$\Delta y_t = \alpha + \beta t + \gamma y_{t-1} + \delta_1 \Delta y_{t-1} + \dots + \delta_p \Delta y_{t-p} + \varepsilon_t \quad (1)$$

-:

-: y_t

-: Δ

-: $\alpha, \beta, \gamma, \delta$

-: p

-: ε

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-:

(1)

$H_0 : \delta < 0$

((

y_t)

(y_t)

)

$$H_1 : \delta = 0 \quad (y_t)$$

$$(\tau) \quad (DF_\tau = \frac{\hat{\delta}}{SE(\hat{\delta})})$$

$$(DF_\tau) \quad ((Mackinnon(1991))$$

(H₀)(Null Hypothesis)

(y_t) (H₁)(Alternative Hypothesis)

First) (

(Difference

-:Co-integration Test 1-4

(Granger(1969))

Stable Long-run equilibrium)

(relationship

(Johansen(1994, 1991,1988))

(Engle–Granger(1987))

(d) (Integrated)

(d)

(I(d))

(x_t) (y_t)

($\varepsilon_t = y_t - \alpha - x_t$)

(I(0))

.(I(d))

.(Sahabettin Gunes:2007)

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[20]

(Spurious estimates)

Vector Error)

.(2007:) (VECM) (Correction Model

-(Granger Causality Tests)

1-5

$$\begin{aligned}
 & (y_{2t}) \quad (y_{1t}) \\
 & (y_{1t}) \quad (y_{2t}) \quad (y_{1t}) \quad (y_{2t}) \\
 & (y_{2t}) \quad (y_{1t}) \quad (y_{2t}) \quad (y_{1t}) \\
 & (y_{1t}) \quad ((y_{2t}) \quad (y_{1t})) \\
 & (k_2) \quad (k_1) \quad (y_{2t}) \quad (y_{1t}) \quad (y_t = y'_{1t} \quad y'_{2t})' \\
 & (\varepsilon_t = \varepsilon_{1t}' \quad \varepsilon_{2t}')' \quad (k=k_1+k_2) \\
 & - : \quad (\text{VAR}(P)) \\
 & \begin{bmatrix} \Phi_{11}(B) & \Phi_{12}(B) \\ \Phi_{12}(B) & \Phi_{22}(B) \end{bmatrix} \begin{bmatrix} y_{1t} \\ y_{2t} \end{bmatrix} = \begin{bmatrix} \delta_{1t} \\ \delta_{2t} \end{bmatrix} + \begin{bmatrix} \varepsilon_{1t} \\ \varepsilon_{2t} \end{bmatrix} \quad \dots(2) \\
 & (y_{2t}) \quad (y_{2t}) \quad (y_{1t}) \quad \Phi_{12}(\beta) = 0 \\
 & (y_{1t}) \quad (y_{1t} \rightarrow y_{2t}) \quad (y_{1t}) \\
 & (y_{2t}) \quad (y_{2t})
 \end{aligned}$$

$$\begin{pmatrix} y_{1t} & y_{2t} \end{pmatrix} \\ \text{. (Intriligator, et al.:1996)} \quad (y_{2t}) \quad (y_{1t})$$

1 - 6 (VAR)(Vector AutoRegressive) :-

k) (VAR) .

$$\begin{pmatrix} (k \times 1) & (Y) & (t=1,2,\dots,T) \end{pmatrix}$$

.(y_{it})

(p)

:- (P)

$$Y_t = c + A_1 Y_{t-1} + A_2 Y_{t-2} + \dots + A_p Y_{t-p} + e_t \quad \dots (3)$$

:-

.(kx1) : c

. i=1,2,...,p (kxk) : A_i

(kx1) : e_t

contemporaneously (Ee_te_t' = Ω) (Ee_t=0)

(k) (Ee_te_{t-k}' = 0) (nxn) (covariance matrix

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[22]

$$(\text{VAR}(2) \quad) \quad (p=2) \quad (1)$$

-:

$$\begin{pmatrix} y_{1t} \\ y_{2t} \end{pmatrix} = \begin{pmatrix} c_1 \\ c_2 \end{pmatrix} + \begin{pmatrix} A_{11} & A_{12} \\ A_{21} & A_{22} \end{pmatrix} \begin{pmatrix} y_{1t-1} \\ y_{2t-1} \end{pmatrix} + \begin{pmatrix} e_{1t} \\ e_{2t} \end{pmatrix} \dots (4)$$

-:

$$y_{1t} = c_1 + A_{11}y_{1t-1} + A_{12}y_{2t-1} + e_{1t} \dots (5)$$

$$y_{2t} = c_2 + A_{21}y_{1t-1} + A_{22}y_{2t-1} + e_{2t} \quad (5)$$

(y_{1t}, y_{2t})

(VAR(p))

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.(SUR)(seemingly unrelated regression)

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-2

(Y_1)

-1-2

(Y_3)

(Y_2)

344

2008-5-15

2007

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www.opec.org

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www.kitco.com/scripts/hist_charts/yearly_graphs.plx

www.ecb.int/stats/exchange/eurofxref/html/usd.xml

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2000

2000 28 1995 20

100 2005 51

.2008 2007

2000 95 ()

.2008 1.60 1.20 2005

1995

.\$1000 2008 (\$279) 2000 (\$383)

2000 2008

3.5

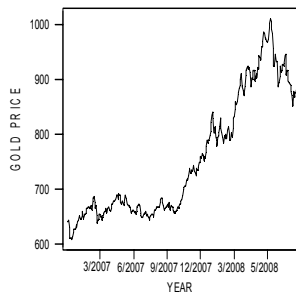
.0.60

.()

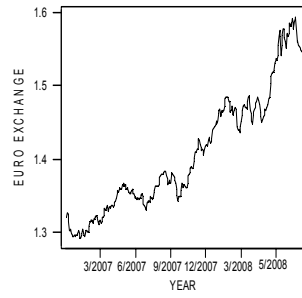
(3) (1)

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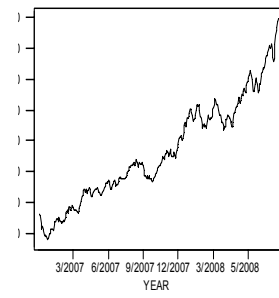
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يمثل الاسعار العالمية للذهب
(دولار)



الشكل رقم (2)
يمثل اسعار صرف اليورو بالدولار



الشكل رقم (1)
يمثل اسعار سلة اوبك
(دولار)

(1)

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:(1)

Variable	Type	Rho	Prob<Rho	Tau	Prob<Tau
y1	Zero Mean	0.917578	0.8983	2.41	0.9964
	Single Mean	0.321951	0.9710	0.18	0.9709
	Trend	-23.1547	0.0336	-2.80	0.2001
y2	Zero Mean	0.170816	0.7228	1.69	0.9781
	Single Mean	-1.17956	0.8686	-0.69	0.8468
	Trend	-17.715	0.1053	-2.99	0.1357
y3	Zero Mean	0.298894	0.7549	1.10	0.9293
	Single Mean	-2.00378	0.7775	-1.08	0.7249
	Trend	-9.42787	0.4718	-2.09	0.5473

(R^2)

(2)

.I(2)

:(2)

Variable	Type	Rho	Prob<Rho	Tau	Prob<Tau
W _{1t}	Zero Mean	-237.264	0.0001	-10.81	<.0001
	Single Mean	-272.618	0.0001	-11.61	<.0001
	Trend	-272.623	0.0001	-11.59	<.0001
W _{2t}	Zero Mean	-252.653	0.0001	-11.22	<.0001
	Single Mean	-270.061	0.0001	-11.59	<.0001
	Trend	-270.16	0.0001	-11.57	<.0001
W _{3t}	Zero Mean	-264.491	0.0001	-11.50	<.0001
	Single Mean	-273.927	0.0001	-11.68	<.0001
	Trend	-274.699	0.0001	-11.67	<.0001

(2)

.(0)

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(

(trace test)

(Johansen method)

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[26]

(λ_{max}) (maximum eigenvalue)

(λ_{trace})

(3)

(r=0,1,2)

(λ_{trace})

(r=0)

(λ_{max})

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.(r=0,1,2)

(

.(VAR)

:(3)

H_0: Rank=r	H_1: Rank>r	Eigenvalue	Trace	5% Critical Value
0	0	0.0605	25.51	29.38
1	1	0.0139	5.05	15.34
2	2	0.0014	0.46	3.84
H_0: Rank=r	H_1: Rank=r+1	Eigenvalue	Max Eigen	5% Critical Value
0	1	0.0605	20.46	20.97
1	2	0.0139	4.59	14.07
2	3	0.0014	0.46	3.76

Partial)

Partial correlation)

(autoregression matrices

Partial)

(matrices

.(canonical matrices

(4)

(9) (1)

(5) (2)

(partial cross-correlation)

(9) (1)

(9)

(2)

Partial canonical)

(4)

(matrices

. (9)

(9-1)

(4)

Variable/ Lag	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21
W _{1t}		..+	..-	..+	..-	...	..-	..+	...	...	..-	...	..-	..-	...	...	...	...	...	...	..-
W _{2t}						++.		..-	++.		..-		+	..-		..-		...		...	
W _{3t}		..+	..-	..+	..-	..+	..-	++.	..+	..+	...	...	...	...	...	...	...	..+	...	...	..-

Variable/ Lag	23	24	25	26	27	28	29	30	31	32	33	34	35	36
W _{1t}	...	...	...	...	...	...	...	..-	...	...	...	...	...	...
W _{2t}	...	..+	...	...	..-	...	...	..-	...	...	...	...	...	...
W _{3t}	...	...	...	...	...	...	...	...	...	..-	...	...	...	...

+ is > 2*std error, - is < -2*std error, . is between

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[28]

(5)

Variable/ Lag	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21
22																					
W_{1t}	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+
W_{2t}	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+
W_{3t}	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+
	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+	..+

Variable/ Lag	23	24	25	26	27	28	29	30	31	32	33	34	35	36
W_{1t}	..	..	..	..	..	..	..	..	..	..	..	..	..	..
W_{2t}	..	..	..	..	..	..	..	..	..	..	..	..	..	..
W_{3t}	..	..	..	..	..	..	..	..	..	..	..	..	..	..

+ is > 2*std error, - is < -2*std error, . is between

(4)

Lag	PCanCorr1	PCanCorr2	PCanCorr3	Chi-Square	DF	Prob>ChiSq
1	0.78039	0.71019	0.51779	461.42	9	<.0001
2	0.55546	0.45838	0.41593	230.32	9	<.0001
3	0.37091	0.28768	0.19796	86.16	9	<.0001
4	0.32051	0.23111	0.18914	63.52	9	<.0001
5	0.22595	0.16609	0.10458	29.56	9	0.0005
6	0.18223	0.15620	0.11967	23.66	9	0.0049
7	0.28517	0.16721	0.10854	39.71	9	<.0001
8	0.24569	0.12100	0.03326	24.89	9	0.0031
9	0.30697	0.13702	0.02815	37.10	9	<.0001
10	0.17001	0.06208	0.03843	11.13	9	0.2671
11	0.16901	0.12488	0.00364	14.31	9	0.1117
12	0.16400	0.08528	0.05379	11.97	9	0.2149
13	0.22687	0.09252	0.00275	19.33	9	0.0225
14	0.19723	0.12294	0.05013	18.15	9	0.0335
15	0.20756	0.08064	0.02737	16.11	9	0.0647
16	0.16421	0.07351	0.03633	10.75	9	0.2935
17	0.10617	0.08600	0.02244	6.10	9	0.7302
18	0.20274	0.17136	0.07303	24.03	9	0.0043
19	0.19853	0.10661	0.03006	16.33	9	0.0603
20	0.16017	0.09042	0.03121	10.96	9	0.2782
21	0.16007	0.05884	0.02078	9.27	9	0.4129

(VAR)

(AR(9))

- :

$$W_{1t} = \alpha_1 + \phi_{11}W_{1t-1} + \phi_{12}W_{2t-1} + \phi_{13}W_{3t-1} + \varepsilon_{1t} \quad \dots(6)$$

$$W_{2t} = \alpha_2 + \phi_{21}W_{1t-1} + \phi_{22}W_{2t-1} + \phi_{23}W_{3t-1} + \varepsilon_{2t} \quad \dots(7)$$

$$W_{3t} = \alpha_3 + \phi_{31}W_{1t-1} + \phi_{32}W_{2t-1} + \phi_{33}W_{3t-1} + \varepsilon_{3t} \quad \dots(8)$$

- :

- : W_{1t}

- : W_{2t}

- : W_{3t}

- : $\alpha_1, \alpha_2, \alpha_3$

- : $\phi_{ii}, i = 1, 2, 3$

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(5)

(8) (1)

(9) (1)

(8)

(7) (1)

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[30]

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:(5)

Equation	Parameter	Estimate	Std Error	T Ratio	Prob> T	Variable
W _{1t}	CONST1	0.00233	0.00067978	3.43	0.0007	1
	AR1 1 1	1.35631	0.05537	24.50	0.0001	W _{1t-1}
	AR2 1 1	-1.30193	0.09248	-14.08	0.0001	W _{1t-2}
	AR2 1 2	-0.24807	0.10545	-2.35	0.0193	W _{2t-2}
	AR3 1 1	1.10965	0.11394	9.74	0.0001	W _{1t-3}
	AR4 1 1	-0.92140	0.12357	-7.46	0.0001	W _{1t-4}
	AR5 1 1	0.69640	0.12321	5.65	0.0001	W _{1t-5}
	AR6 1 1	-0.54673	0.11337	-4.82	0.0001	W _{1t-6}
	AR7 1 1	0.33743	0.09224	3.66	0.0003	W _{1t-7}
	AR8 1 1	-0.12945	0.05596	-2.31	0.0214	W _{1t-8}
W _{2t}	CONST2	0.00015654	0.00018349	0.85	0.3943	1
	AR1 2 2	1.32914	0.05374	24.73	0.0001	W _{2t-1}
	AR1 2 3	0.12684	0.01559	8.14	0.0001	W _{3t-1}
	AR2 2 2	-1.35061	0.08680	-15.56	0.0001	W _{2t-2}
	AR2 2 3	-0.09917	0.02073	-4.78	0.0001	W _{3t-2}
	AR3 2 2	1.08861	0.10727	10.15	0.0001	W _{2t-3}
	AR3 2 3	0.06513	0.01680	3.88	0.0001	W _{3t-3}
	AR4 2 2	-0.93533	0.11700	-7.99	0.0001	W _{2t-4}
	AR5 2 2	0.83136	0.11992	6.93	0.0001	W _{2t-5}
	AR6 2 2	-0.72625	0.11751	-6.18	0.0001	W _{2t-6}
	AR7 2 2	0.57759	0.10700	5.40	0.0001	W _{2t-7}
	AR8 2 1	0.01884	0.00932	2.02	0.0440	W _{1t-8}
	AR8 2 2	-0.45348	0.08471	-5.35	0.0001	W _{2t-8}
	AR9 2 2	0.24031	0.05062	4.75	0.0001	W _{2t-9}
W _{3t}	CONST3	-0.0000837	0.00057830	-0.14	0.8850	1
	AR1 3 1	0.23756	0.04172	5.69	0.0001	W _{1t-1}
	AR1 3 3	1.17968	0.05457	21.62	0.0001	W _{3t-1}
	AR2 3 1	-0.17658	0.05768	-3.06	0.0024	W _{1t-2}
	AR2 3 3	-1.08479	0.08356	-12.98	0.0001	W _{3t-2}
	AR3 3 1	0.08873	0.04358	2.04	0.0426	W _{1t-3}
	AR3 3 3	0.93377	0.09909	9.42	0.0001	W _{3t-3}
	AR4 3 3	-0.88334	0.10748	-8.22	0.0001	W _{3t-4}
	AR5 3 3	0.75353	0.11170	6.75	0.0001	W _{3t-5}
	AR6 3 2	-0.20448	0.09995	-2.05	0.0416	W _{2t-6}
	AR6 3 3	-0.65409	0.10803	-6.05	0.0001	W _{3t-6}
	AR7 3 3	0.54202	0.10186	5.32	0.0001	W _{3t-7}

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$$W_{1t} = 0.00233 + 1.356W_{1t-1} - 1.3019W_{1t-2} + 1.109W_{1t-3} - 0.9214W_{1t-4} + 0.696W_{1t-5} - 0.547W_{1t-6} + 0.337W_{1t-7} - 0.129W_{1t-8} - 0.248W_{2t-2} + Noise \quad \dots(9)$$

$$W_{2t} = 0.000156 + 1.329W_{2t-1} - 1.350W_{2t-2} + 1.088W_{2t-3} - 0.935W_{2t-4} + 0.831W_{2t-5} - 0.726W_{2t-6} + 0.577W_{2t-7} - 0.453W_{2t-8} + 0.24W_{2t-9} + 0.0188W_{1t-8} + 0.126W_{3t-1} - 0.099W_{3t-2} - 0.065W_{3t-3} + Noise \quad \dots(10)$$

$$W_{3t} = -0.00008 + 0.237W_{1t-1} - 0.176W_{1t-2} + 0.088W_{1t-3} - 0.204W_{2t-6} + 1.179W_{3t-1} - 1.084W_{3t-2} + 0.934W_{3t-3} - 0.883W_{3t-4} + 0.753W_{3t-5} + 0.654W_{3t-6} + 0.542W_{3t-7} + Noise \quad \dots(11)$$

(5)

(F)

(6)

(6)

(R²)

(12) (1)

(F)

(6)

Variable	R-square	StdDev	F Value	Prob>F
W _{1t}	0.7025	0.0111	26.06	<.0001
W _{2t}	0.7521	0.0031	33.48	<.0001
W _{3t}	0.6943	0.0092	25.06	<.0001

(6)

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lag      0    1    2    3    4    5    6    7    8    9   10   11   12
W1t    +..  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...
W2t      .+.  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...
W3t      ..+  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...  ...
+ is > 2*std error, - is < -2*std error, . is between

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[32]

(7)

(DW)

Jarque-Bera normality test)

(statistics

*(ARCH(1)) (P) (F)
(8)

(7)

Variable	DW(1)	Normality ChiSq	Prob> ChiSq	ARCH1 F Value	Prob>F
W _{1t}	1.95	1.60	0.4483	0.30	0.5857
W _{2t}	1.98	4.59	0.1005	2.10	0.1503
W _{3t}	1.94	3.16	0.2055	0.36	0.5477

(8)

Variable	AR1		AR1-2		AR1-3		AR1-4	
	FValue	Prob>F	F Value	Prob>F	F Value	Prob>F	F Value	Prob>F
W _{1t}	0.20	0.6546	0.23	0.7912	63	0.5990	1.32	0.2613
W _{2t}	0.03	0.8628	0.05	0.9534	07	0.9770	0.24	0.9131
W _{3t}	0.27	0.6045	0.49	0.6140	54	0.6565	0.51	0.7293

(1)

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(9)

: (9)

Test	Chi-Square	DF	Prob>Chisq
1	20.93	18	0.2831
2	82.00	18	<.0001
3	65.88	18	<.0001
Test 1: Group 1 Variables: W_{1t} Group 2 Variables: W_{2t} W_{3t}			
Test 2: Group 1 Variables: W_{2t} Group 2 Variables: W_{1t} W_{3t}			
Test 3: Group 1 Variables: W_3 Group 2 Variables: W_{1t} W_{2t}			

(10)

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[34]

: (10)

Equation	Parameter	Estimate	Std Error	T Ratio	Prob> T	Variable
W _{2t}	CONST1	0.00010797	0.00018717	0.58	0.5645	1
	XL0 1 1	0.01986	0.00877	2.26	0.0242	W _{1t}
	AR1 1 1	1.32694	0.05363	24.74	0.0001	W _{2t-1}
	AR1 1 2	0.12391	0.01556	7.97	0.0001	W _{3t-1}
	AR2 1 1	-1.33967	0.08664	-15.46	0.0001	W _{2t-2}
	AR2 1 2	-0.09470	0.02074	-4.57	0.0001	W _{3t-2}
	AR3 1 1	1.09132	0.10698	10.20	0.0001	W _{2t-3}
	AR3 1 2	0.06224	0.01672	3.72	0.0002	W _{3t-3}
	AR4 1 1	-0.92091	0.11670	-7.89	0.0001	W _{2t-4}
	AR5 1 1	0.81922	0.11960	6.85	0.0001	W _{2t-5}
	AR6 1 1	-0.70182	0.11706	-6.00	0.0001	W _{2t-6}
	AR7 1 1	0.56846	0.10673	5.33	0.0001	W _{2t-7}
W _{3t}	AR8 1 1	-0.43271	0.08440	-5.13	0.0001	W _{2t-8}
	AR9 1 1	0.22709	0.05041	4.51	0.0001	W _{2t-9}
	CONST2	0.00008304	0.00057175	0.15	0.8846	1
	XL0 2 1	0.13678	0.02694	5.08	0.0001	W _{1t}
	AR1 2 2	1.22576	0.05342	22.95	0.0001	W _{3t-1}
	AR2 2 2	-1.14866	0.08362	-13.74	0.0001	W _{3t-2}
	AR3 2 1	0.37257	0.16417	2.27	0.0239	W _{2t-3}
	AR3 2 2	1.01087	0.10079	10.03	0.0001	W _{3t-3}
	AR4 2 1	-0.63570	0.25554	-2.49	0.0134	W _{2t-4}
	AR4 2 2	-0.97912	0.11156	-8.78	0.0001	W _{3t-4}
	AR5 2 1	0.65015	0.29601	2.20	0.0288	W _{2t-5}
	AR5 2 2	0.84599	0.11653	7.26	0.0001	W _{3t-5}
	AR6 2 1	-0.77624	0.26010	-2.98	0.0031	W _{2t-6}
	AR6 2 2	-0.72580	0.11370	-6.38	0.0001	W _{3t-6}
	AR7 2 1	0.48812	0.16746	2.91	0.0038	W _{2t-7}
	AR7 2 2	0.59776	0.10610	5.63	0.0001	W _{3t-7}
	AR8 2 2	-0.31974	0.08751	-3.65	0.0003	W _{3t-8}
	AR9 2 1	-0.27721	0.09392	-2.95	0.0034	W _{2t-9}
	AR9 2 2	0.15921	0.05664	2.81	0.0053	W _{3t-9}

- : (10)

$$W_{2t} = 0.000108 + 0.0198W_{1t} + 1.327W_{2t-1} - 1.339W_{2t-2} + 1.091W_{2t-3} - 0.921W_{2t-4} \\ + 0.819W_{2t-5} - 0.702W_{2t-6} + 0.568W_{2t-7} - 0.432W_{2t-8} + 0.227W_{2t-9} + 0.0124W_{3t-1} \\ - 0.094W_{3t-2} + 0.0622W_{3t-3} \quad \dots(12)$$

$$W_{3t} = 0.000083 + 0.136W_{1t} + 0.372W_{2t-3} - 0.6357W_{2t-4} + 0.65W_{2t-5} - 0.776W_{2t-6} + 0.488W_{2t-7} \\ - 0.277W_{2t-9} + 1.226W_{3t-1} - 1.148W_{3t-2} + 1.0108W_{3t-3} - 0.979W_{3t-4} + 0.846W_{3t-5} \\ - 0.725W_{3t-6} + 0.598W_{3t-7} - 0.319W_{3t-8} + 0.159W_{3t-9} \quad \dots(13)$$

(F) (11)

(R²)

(75%)

(68%)

(7)

Jarque-)

(DW)

(Bera normality test statistics

(ARCH test)

(13)

(F) : (11)

Variable	R-square	StdDev	FValue	Prob>F
W _{2t}	0.7529	0.0030	49.08	<.0001
W _{3t}	0.6856	0.0092	35.12	<.0001

:(7)

Variable/ Lag		0	1	2	3	4	5	6	7	8	9	10
11	12											
	W _{2t}											
+	..	..	..	..	..	..	..	..	..	..	..	..
W _{3t}	..	..	..	..	..	..	..	..	..	..	..	..
+	..	..	..	..	..	..	..	..	..	..	..	..

+ is > 2*std error, - is < -2*std error, . is between

:(12)

Variable	DW(1)	Normality ChiSq	Prob> ChiSq	ARCH1 F Value	Prob>F
w_{2t}	1.99	5.46	0.0653	0.67	0.4150
w_{3t}	2.00	4.20	0.1227	0.19	0.6667

:(13)

Variable	AR1		AR1-2		AR1-3		AR1-4	
	F Value	Prob>F	F Value	Prob>F	F Value	Prob>F	F Value	Prob>F
w_{2t}	0.00	0.9743	0.06	0.9446	0.05	0.9863	0.28	0.8930
w_{3t}	0.00	0.9491	0.25	0.7801	0.23	0.8735	0.37	0.8292

-: -3

.1

.2

.3

.4

-:

":(2007) .1

"

.(26-20 .) ٣٢ ♣

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(1)

-(Jarque and Bera)

(1987)

$$JB = n \left(\frac{(\sqrt{b_1})^2}{6} + \frac{(b_2 - 3)^2}{24} \right)$$

-:

-:n

$$(i=1,2,3,4) \quad m_i \quad b_2 = \frac{m_4}{m_2^2} \quad \sqrt{b_1} = \frac{m_3}{m_2^{3/2}}$$

) (Central moment of the Observation)

$$m_i = \frac{\sum (x_i - \bar{x})^i}{n}$$

(χ^2)

(JB)

.(Jarque & Bera:1987) (2)

%1 %5

-(ARCH)(AutoRegressive Conditional Heteroscedasticity)

(ARCH)

(ARCH)

-:

Engle

.

:

AR(q)

-1

$$y_t = a_0 + a_1 y_{t-1} + \dots + a_q y_{t-q} + e_t$$

$$(\hat{e}_t^2) \quad -2$$

: (q)

$$\hat{e}_t^2 = \alpha_0 + \sum_{i=1}^q \hat{\alpha}_i \hat{e}_{t-i}^2$$

.(ARCH) (q)

(i $\alpha_i = 0$) (ARCH) -3

ARCH

(α_i) (ARMA

)

.(Robert:1982) (ARMA ARCH

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[40]

() : (2)

2007													2008				
	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec	Jan	Feb	Mar	Apr	May
1		53.49	58.47		64.81	64.6		73.17		75.97	87.47			87.5		95.75	105.93
2	56.16	53.64	58.65	64.06	63.69		68.73	72.3		74.66	87.47		91.82			96.48	106.93
3	55.42			63.87	63.19		69.65	72.12	70.42	74.96		84.13	93.67		97.12	98.63	
4	53.26			63.48	63.1	65.81	69.89		70.88	74.83		85.14	93.38	86.51	96.13	98.63	
5	51.30	54.66	57.32	64.16		66.34	70.38		71.46	76.23	88.0	85.30		86.01	95.86		111.55
6		54.68	57.21			66.58	71.33	70.3	72.1		89.02	84.34		84.66	98.34		114.69
7		54.40	58.2		61.93	67.18		68.34	72.01		90.57	85.07	91.72	84.63	99.0	101.16	115.97
8	51.88	53.6	58.73		62.1	66.23		68.59		75.37	90.56		91.67	86.1		101.89	116.87
9	51.20	55.08	58.29	63.74	62.19		71.55	68.29		74.47	89.58		91.98			102.38	119.07
10	50.6			62.82	62.36		71.78	76.56	72.27	75.36		84.42	89.71		99.48	103.74	
11	49.22			63.54	63.15	65.16	72.05		73.13	77.01		84.51	88.36	89.06	100.57	103.67	
12	48.68	53.99	57.37	63.83		65.46	72.15		74.21	77.62	88.65	86.61		89.63	101.38		119.65
13		53.38	57.38	64.88		65.67	72.67	68.36	74.64		86.68	88.46		89.48	102.39		118.73
14		53.76	57.23		63.79	66.87		67.75	74.48		86.45	87.81	88.51	90.63	102.88	104.02	118.78
15	49.36	52.88	57.28		63.79	67.50		68.68		78.76	86.87		88.33	91.55		105.73	118.95
16	48.58	53.69	56.86	64.05	64.55		72.97	67.63		80.87	87.41		86.28			106.65	
17	47.97			63.14	65.29		72.05	67.83	74.06	81.13		87.13	86.14		101.41	107.63	
18	48.24			61.96	66.01	68.02	72.2		74.92	81.18		87.1	85.91	91.21	100.1	107.75	
19	48.30	53.87	56.74	61.98		68.33	73.36		75.61	81.49	88.57	87.24		92.52	99.97		
20		53.42	56.59	62.23		67.7	73.8	67.69	75.78		89.93	87.36		94.09	96.1		
21		54.0	56.87		66.24	67.7		67.1	76.72		91.77	87.73	85.06	93.81		108.93	
22	49.72	55.14	57.91		66.62	67.5		66.6		80.15	91.22		83.70	92.48		109.92	
23	49.60	56.55	59.05	63.1	66.36		73.13	67.07		80.03	91.37		84.48			111.14	
24	50.92			63.94	66.93		72.02	67.61	76.48	80.49		87.86	84.42		96.15	110.63	
25	51.27			63.69	66.57	67.38	71.65		75.80	82.67			86.87	93.49	96.49	110.01	
26	51.04	57.07	60.16	64.2		67.53	73.01		75.11	84.82	91.68	89.44		93.96	98.42		
27		57.24	60.49	64.03		67.41	72.36	67.76	76.02		90.08	90.29		95.03	100.36		
28		56.69	61.88		66.2	67.72		68.25	77.43		87.88	90.84	87.01	94.87	99.77	111.66	
29	51.28		62.52		65.49	68.02		68.41		85.94	87.59		88.2	96.35		109.86	
30	50.82		63.79	64.26	64.3		72.35	69.18		85.52	85.72		88.59			107.33	
31	52.62				64.45		72.56	69.7		84.76		90.70	87.92		98.63		

2007													2008				
	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec	Jan	Feb	Mar	Apr	May
1		1.3020	1.3225			1.3436		1.3663		1.4232	1.4423			1.4889		1.5660	
2	1.327	1.3020	1.3163	1.3366	1.3588		1.3588	1.3664		1.4165	1.4479		1.4688			1.5632	1.5458
3	1.3231			1.3358	1.3613		1.3601	1.3694	1.3632	1.4195		1.4666	1.4753		1.5203	1.5526	
4	1.3106			1.3352	1.3561	1.3482	1.3618		1.3580	1.4109		1.4741	1.4727	1.4829	1.5206	1.5722	
5	1.3084	1.2925	1.3083	1.3373		1.3532	1.3640		1.3588	1.4136	1.4488	1.4720		1.4688	1.5196		1.5460
6		1.2955	1.3100			1.3513	1.3596	1.3818	1.3669		1.4547	1.4554		1.4621	1.5319		1.5528
7		1.2987	1.3135		1.3615	1.3470		1.3794	1.3696		1.4722	1.4649	1.4723	1.4569	1.5417	1.5693	1.5430
8	1.3006	1.2991	1.3152		1.3558	1.3349		1.3794		1.4089	1.4666		1.4705	1.4513		1.5694	1.5347
9	1.3018	1.3007	1.3155		1.3535		1.3621	1.3729		1.4037	1.4683		1.4680			1.5726	1.5458
10	1.2988			1.3426	1.3527		1.3666	1.3650	1.3795	1.4146		1.4718	1.4662		1.5340	1.5875	
11	1.2984			1.3418	1.3486	1.3355	1.3753		1.3824	1.4199		1.4672	1.4792	1.4542	1.5379	1.5833	
12	1.2893	1.2956	1.3156	1.3467		1.3345	1.3788		1.3885	1.4173	1.4579	1.4675		1.4538	1.5477		1.5430
13		1.3022	1.3218	1.3532		1.3287	1.3782	1.3651	1.3897		1.4607	1.4683		1.4586	1.5577		1.5473
14		1.3082	1.3183		1.3549	1.3304		1.3591	1.3860		1.4700	1.4509	1.4895	1.4626	1.5561	1.5869	1.5439
15	1.2941	1.3137	1.3226		1.3538	1.3314		1.3476		1.4226	1.4639		1.4886	1.4674		1.5828	1.5474
16	1.2953	1.3119	1.3325	1.3550	1.3574		1.3781	1.3405		1.4150	1.4651		1.4792			1.5928	
17	1.2909			1.3549	1.3516		1.3771	1.3454	1.3877	1.4200		1.4393	1.4691		1.5770	1.5872	
18	1.2922			1.3577	1.3477	1.3404	1.3779		1.3867	1.4299		1.4416	1.4674	1.4636	1.5771	1.5780	
19	1.2958	1.3132	1.3303	1.3601		1.3403	1.3820		1.3975	1.4288	1.4654	1.4385		1.4742	1.5692		
20		1.3145	1.3296	1.3606		1.3427	1.3803	1.3476	1.4030		1.4785	1.4349		1.4656	1.5423		
21		1.3145	1.3293		1.3444	1.3397		1.3508	1.4049		1.4814	1.4380	1.4482	1.4736		1.5898	
22	1.2936	1.3106	1.3351		1.3454	1.3441		1.3493		1.4166	1.4829		1.4494	1.4848		1.5931	
23	1.3040	1.3134	1.3327	1.3557	1.3490		1.3821	1.3574		1.4254	1.4809		1.4574			1.5940	
24	1.3005			1.3582	1.3448		1.3833	1.3615	1.4113	1.4230		1.4398	1.4663			1.5769	
25	1.2978			1.3649	1.3441	1.3461	1.3743		1.4106	1.4309			1.4705	1.4817	1.5569	1.5596	
26	1.2901	1.3160	1.3265	1.3596		1.3460	1.3722		1.4127	1.4384	1.4845			1.4874	1.5710		
27		1.3230	1.3347	1.3643		1.3438	1.3651	1.3658	1.4180		1.4874	1.4516		1.5044	1.5786		
28		1.3211	1.3348		1.3453	1.3467		1.3664	1.4179		1.4747	1.4692	1.4755	1.5121	1.5796	1.5628	
29	1.2921		1.3352		1.3509	1.3505		1.3631		1.4391	1.4738		1.4773	1.5167		1.5571	
30	1.2972		1.3318	1.3605	1.3420		1.3659	1.3610		1.4407	1.4761		1.4810			1.5540	
31	1.2954				1.3453		1.3707	1.3705		1.4447		1.4721	1.4870		1.5812		

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2007													2008				
	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec	Jan	Feb	Mar	Apr	May
1		660.2	670.4		673.6	666.5		665.75		742.5	790.25			914.75		887.75	853.0
2	639.75	645.7	651.9	658.25	669.5		654.75	666.25		731.0	796.5		846.75			890.0	853.5
3	642.6			664.25	674.2		654.25	670.5	672.0	730.25		784.25	858.85		988.5	896.5	
4	628.7			672.25	688.8	671.1	654.15		678.75	725.5		797.5	855.0	893.75	984.75	905.5	
5	609.5	649.4	636.75	673.5		671.5	651.0		680.25	737.0	804.75	793.0		887.5	974.5		
6		653.25	643.75			669.7	648.75	671.5	688.15		822.5	801.5		903.0	976.5		880.0
7		653.75	646.4			668.75		668.0	701.0		834.5	792.5	859.25	899.75	972.5	926.5	868.25
8	609.5	656.0	654.25		684.25	655.25		675.5		733.75	841.1		873.5	916.25		915.0	877.0
9	609.6	664.5	652.25		683.0		661.25	662.6		736.0	831.5		877.0			917.0	876.0
10	608.4			677.4	673.5		661.7	668.5	703.5	741.25		809.5	884.25		969.25	928.0	
11	612.0			678.2	669.0	650.3	663.0		704.15	749.0		808.75	891.0	918.0	970.0	927.75	
12	619.75	664.55	647.75	677.25		647.25	667.25		706.0	749.5	803.5	814.0		917.0	975.5		883.5
13		667.8	650.8	681.75		647.65	666.5	668.75	704.5		804.25	800.7		899.0	995.0		865.0
14		668.25	643.25		670.2	653.25		668.35	716.35		813.5	789.5	902.0	906.0	1003.59	926.5	866.5
15	627.0	664.75	648.5		668.25	653.1		667.25		758.85	794.0		913.0	912.5		929.75	881.25
16	627.05	665.10	653.2	686.5	667.75		666.0	662.25		756.75	789.75		889.75			945.0	
17	626.5			688.0	656.75		666.5	657.5	719.0	762.5		790.75	888.25		1011.25	946.0	
18	635.0			688.75	657.0	656.0	666.75		714.75	764.15		804.25	882.0	903.25	1006.75	908.75	
19	629.0	670.75	655.0	681.9		656.3	674.5		725.15	763.0	778.85	799.75		924.0	958.5		
20		663.9	659.0	691.4		657.7	681.6	659.5	734.5		795.5	795.25		920.0	925.75		
21		661.25	658.75		658.0	650.5		657.5	737.0		798.0	810.5	871.25	945.0		918.5	
22	639.0	676.6	663.0		662.0	652.85		659.5		751.25	803.25		875.0	943.0		918.0	
23	642.5	683.0	656.25	688.7	662.05		682.0	660.75		758.25	815.25		888.25			898.5	
24	642.1			688.4	659.0		684.3	660.85	730.0	757.5			909.25			895.5	
25	651.75			684.0	655.3	650.75	674.75		728.5	767.5			918.25	937.75	926.75	891.5	
26	645.5	685.75	663.0	673.0		647.0	670.0		734.75	779.15	830.0			937.0	946.75		
27		676.2	664.0	677.5		642.1	660.5		731.75		810.75	829.0		959.5	946.75		
28		664.2	666.75			647.25		666.0	743.0		801.75	833.75	921.75	959.75	934.25	890.5	
29	644.75		661.0		660.15	650.5		664.25		788.5	794.5		924.5	971.5		880.0	
30	645.2		661.75	677.0	652.65		661.5	666.0		783.25	783.5		919.0			871.0	
31	650.5				659.10		665.5	672.0		789.5			923.25		933.5		