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New approach for Modified S-box for GOST

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Abstract

These days, it is much of the time tracked down an extensive variety of the getting data. The comprehension that the creator needs to configuration is about cryptography. Cryptography is the investigation of the security of information or data, regularly tracked down in moving information. One of them is the strategy for GOST, GOST is a shortening of "Gosudarstvennyi Standard" or "Government Standard." The calculation is straightforward encryption calculation which has a few cycles upwards of 32 adjusts and utilizes 64-digit block figure with 256-bit key. GOST technique likewise utilizes the S-Box 8 bits of long-lasting and XOR tasks and Pivot Left Shift, the proposed structure creates subkeys utilizing replacement of S-box powerfully and introductory table to gives the presentation of GOST. The move toward thinks about various security perspectives and measurements assessment for confirmation.

Keywords- Cryptography, GOST, Block ciphers, S-Box, Algorithm

INTRODUCTION

Cryptography or encryption may convert data or information from a regular, readable formula (original text) to an incoherent text that can't be read (encrypted text) using a specific algorithm and a secret key. Rather than erasing data, its purpose is to guarantee secrecy while protecting information from unauthorized access and change by third parties. Both symmetric key encryption and public key encryption are crucial encryption techniques [1].

In this paper, we will discuss the GOST algorithm, one of the various techniques that are used to encrypt data.

GOST is a Russian encryption technology that is also known as GOST Cipher or GOST Block Cipher. It is a symmetric key technique created by the Soviet Union in the 1970s as part of the encryption system and is used to safeguard data and secure communications in the military and government sectors.

The GOST algorithm is a block cipher, which means it runs on fixed-length plaintext blocks. As a result, its outputs are coded text blocks of the same length, with a 256-bit key when it operates on 64-bit data blocks. The method contains 32 cycles and employs a key switching and key mixing network.

The security of this algorithm is determined by the strength of the S-boxes, which are nonlinear substitution tables that provide the cryptographic confusion mode and are chosen in a way that has a high degree of nonlinearity that makes it resistant to cryptanalysis attacks, as well as the strength and complexity of the key used [2].

It was widely used in the Soviet Union and other eastern countries, but newer encryption algorithms such as AES (Advanced Encryption Standard), Twofish, and others have since supplanted it.

Many researchers have been interested in the issue of encryption throughout history.

BACKGROUND

GOST, an acronym for "Gosudarstvennyy Standard" or "Government Standard," is an acronym for a collection of regulations and standards used by the Soviet Union and other countries. The Soviet authorities set the GOST standards to assure interoperability, monotheism, and service quality. As a result, it currently encompasses a wide variety of disciplines, such as engineering, technology, industry, and quality control. These standards were needed at the time, but after the fall of the Soviet Union, they were subject to updates and alterations, and their obligation varied based on the nature of their usage in different countries. GOST is a soft algorithm that has 32 rounds. Feistel implements a 64-bit Block Cipher together with a 256-bit key, in addition to eight distinct S boxes, and divides the Block Cipher into two 32-bit portions called "R" and "L" [3].

GOST STRUCTURE

GOST structure such as:

1. Key 256-bit string 32-bit register (K1, K2, ..., K8).
2. 32 Rounds.
3. Two parts of 32-bit register (R1, L1)
4. 32-bit add modulo 2^{32}
5. Add XOR
6. Switch block (S), 8 of 64-bit S-Boxes.
7. rotation shift Left register (R), 11 bit.

A. Key Structure

The key structure for GOST (GOST 28147-89), a symmetric key encryption algorithm, employs a 256-bit key. The key's eight 32-bit subkeys are K1, K2, K3, K4, K5, K6, K7, and K8. The key structure technique is a method for establishing a password that may be used to encrypt plain text. K1, K2,..., K8 are used. The first 24 rounds, in particular, use K1, K2,..., K8 as ascending subkeys; "K1, K2, K3, K4, K5, K6, K7, and K8". Beginning with round 24, the key sequence is inverted: "K8, K7, K6, K5, K4, K3, K2, K1". This method, according to rounds [4], is as follows: [3][4][5]:

Round 0 - Round 7: K1, ..., K8

Round 8 - Round 15: K1, ..., K8

Round 16 - Round 21: K1, ..., K8

Round 24 - Round 31: K8, ..., K1

B. S-box

Four-bit inputs and four-bit outputs are supported by the S-boxes. Eight 4 4 S-boxes make up the S-box substitution in the round function. Parties who want to use GOST to encrypt their messages must use similar S-boxes, which are implementation-dependent. The S-boxes can be kept a secret for added security. S-boxes weren't provided in the initial standard where GOST



S 0:	4 10 9 2 13 8 0 14 6 11 1 12 7 15 5 3
S 1:	14 11 4 12 6 13 15 10 2 3 8 1 0 7 5 9
S 2:	5 8 1 13 10 3 4 2 14 15 12 7 6 0 9 11
S 3:	7 13 10 1 0 8 9 15 14 4 6 12 11 2 5 3
S 4:	6 12 7 1 5 15 13 8 4 10 9 14 0 3 11 2
S 5:	4 11 10 0 7 2 1 13 3 6 8 5 9 12 15 14
S 6:	13 11 4 1 3 15 5 9 0 10 14 7 6 8 2 12
S 7:	1 15 13 0 5 7 10 4 9 2 3 14 6 11 8 12

Table 1: GOST S-Boxes

was established, but they had to be provided in some other way. The Central Bank of the Russian Federation, for instance, employs the following S-boxes as shown in Table1:

RESULTS AND COMMENTS

1.Key Generator

This approach requires data input with a key range of 64 hexadecimal digits, 256 bits, or 32-character chunks. The following example exemplifies this procedure: will make use of the following Support key: "GOSTAlgorithmusehideinformation" [3]:

No	range	Decimal	binary
1	G	47	1000111
2	O	79	1001111
3	S	83	1010011
4	T	84	1010100
.	.	.	.
.	.	.	.
32	n	110	1101110

The result of key generation process is 256-Bit as follows:

001010101100101011110010111000101111011011100110001101101000001000010110001
011101001011001001110101001101100111010101110101101100010011010010110000101
101100111001100110011101101001011010100110100001101011011001001110111101101
1110110111101101001011000101110

The key will be categorized into eight parts.

K1:00101010110010101111001011100010

K2:11110110111001100011011010000010

K3:00010110001011101001011001001110

K4:10100110110011101010111010110110

K5:00100110100101100001011011001110

K6:01100110011101101001011010100110

K7:10000110101101100100111011110110

K8:11110110111101101001011000101110

2.Encryption Process

GOST encryption procedure of converting the input plain text data 64-bit or 16 hexadecimal digits or characters 8 through 32 rounds (iterations). Assume you choose the key on the form and the plain text "PASSWORD," then the encryption procedure will look like this: Figures 1, 2 and 3:

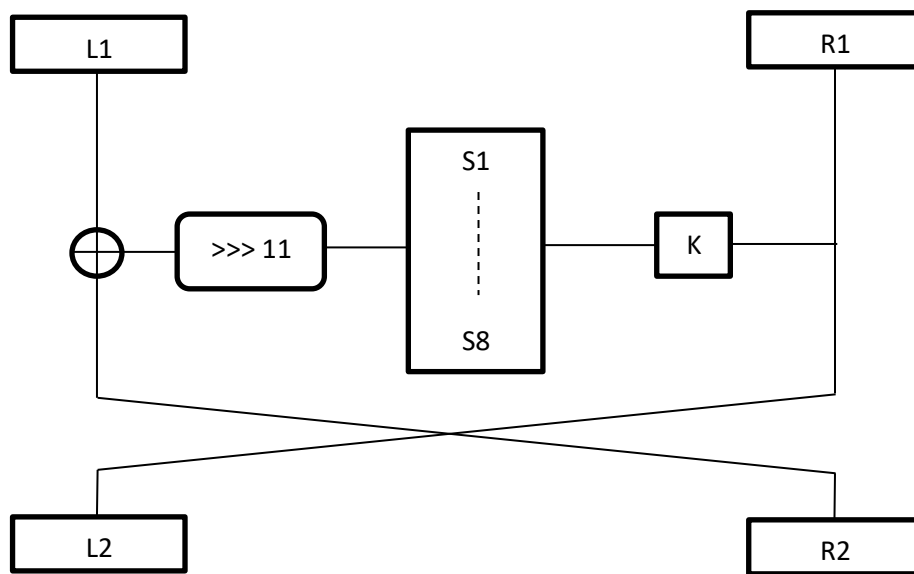
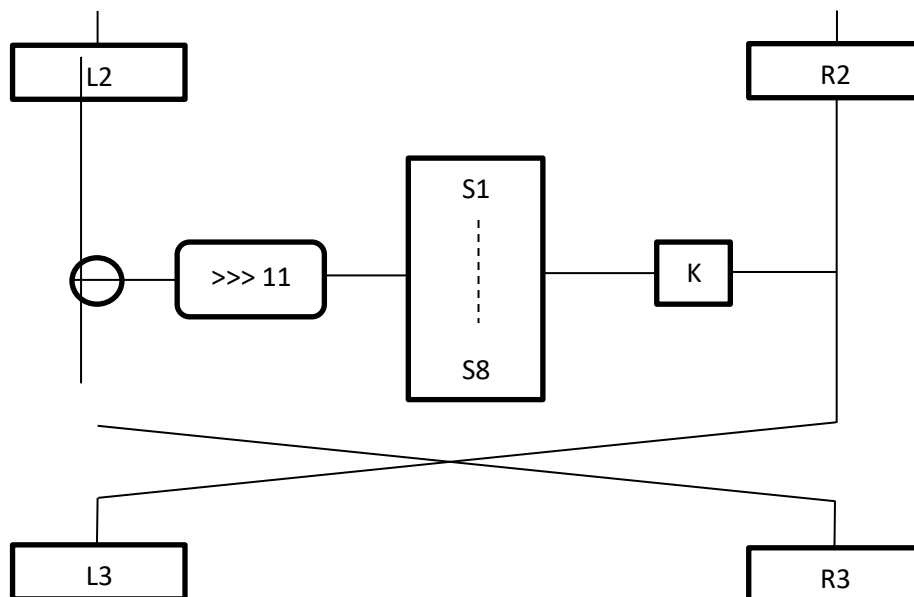
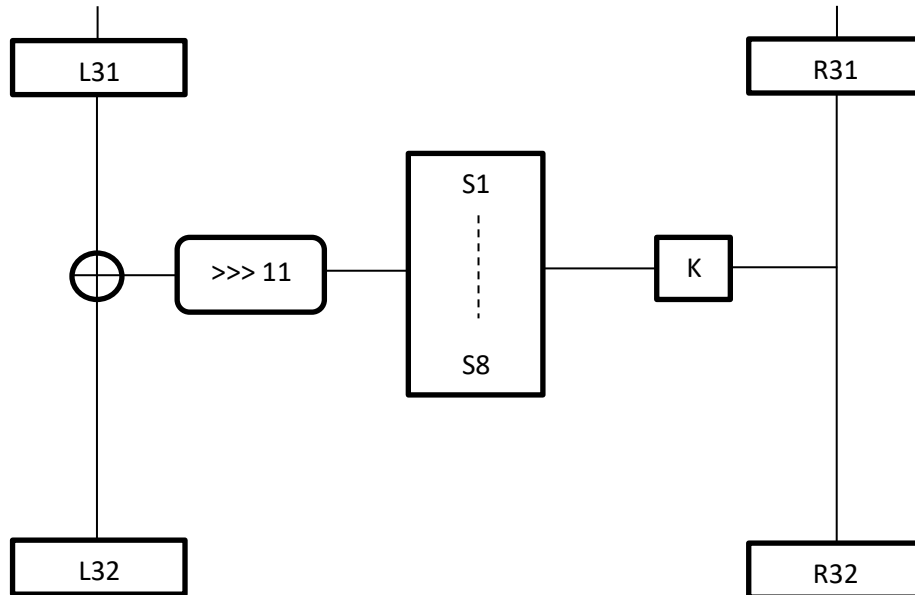


Figure1: Shown Encryption Round 0



2: Shown Encryption Round 1 Figure



3: Shown Encryption Round 32 Figure

1. Decryption Process

The decryption procedure is the inverse of the encryption operation. The GOST decryption method uses the same algorithm as the encryption method. Assuming that the key and ciphertext have been selected, the decoding process is as follows: Figures 4, 5, and 6:

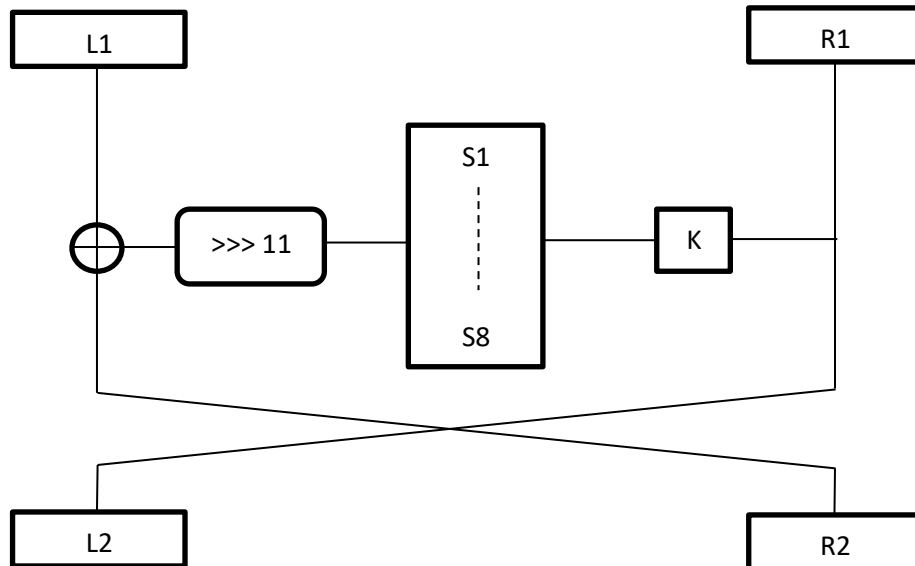


Figure 4: Shown Decryption Round 0

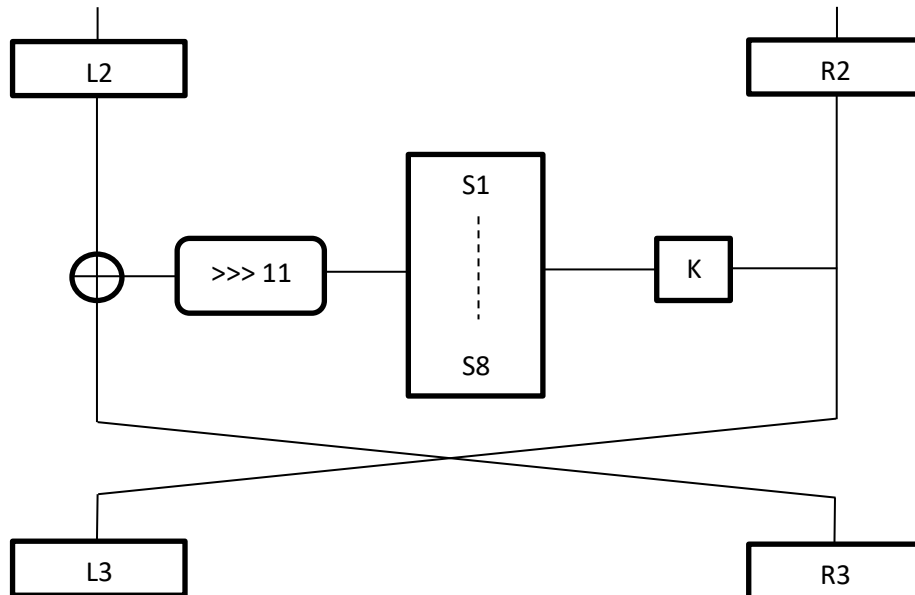
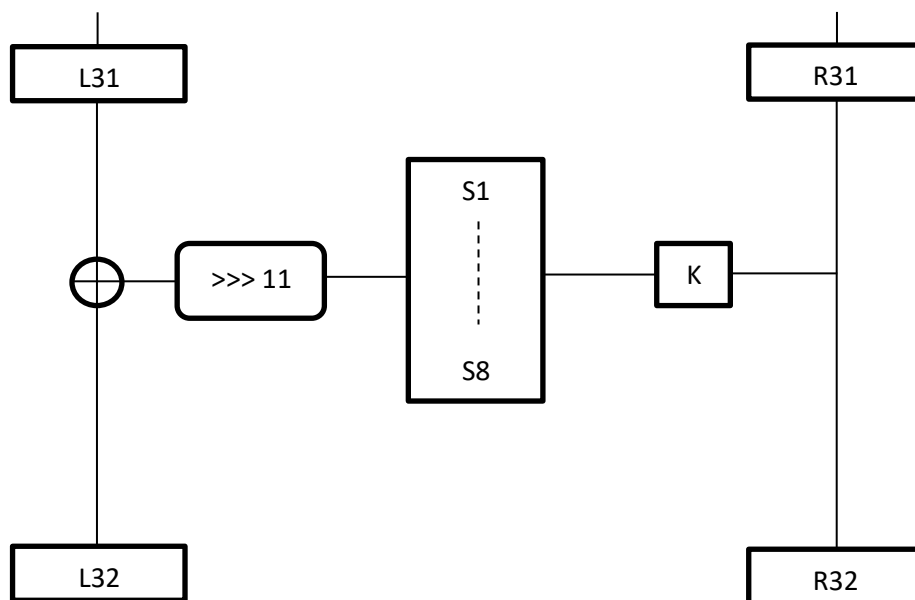


Figure 5: Shown Decryption Round 2



6: Shown Decryption Round 32 Figure

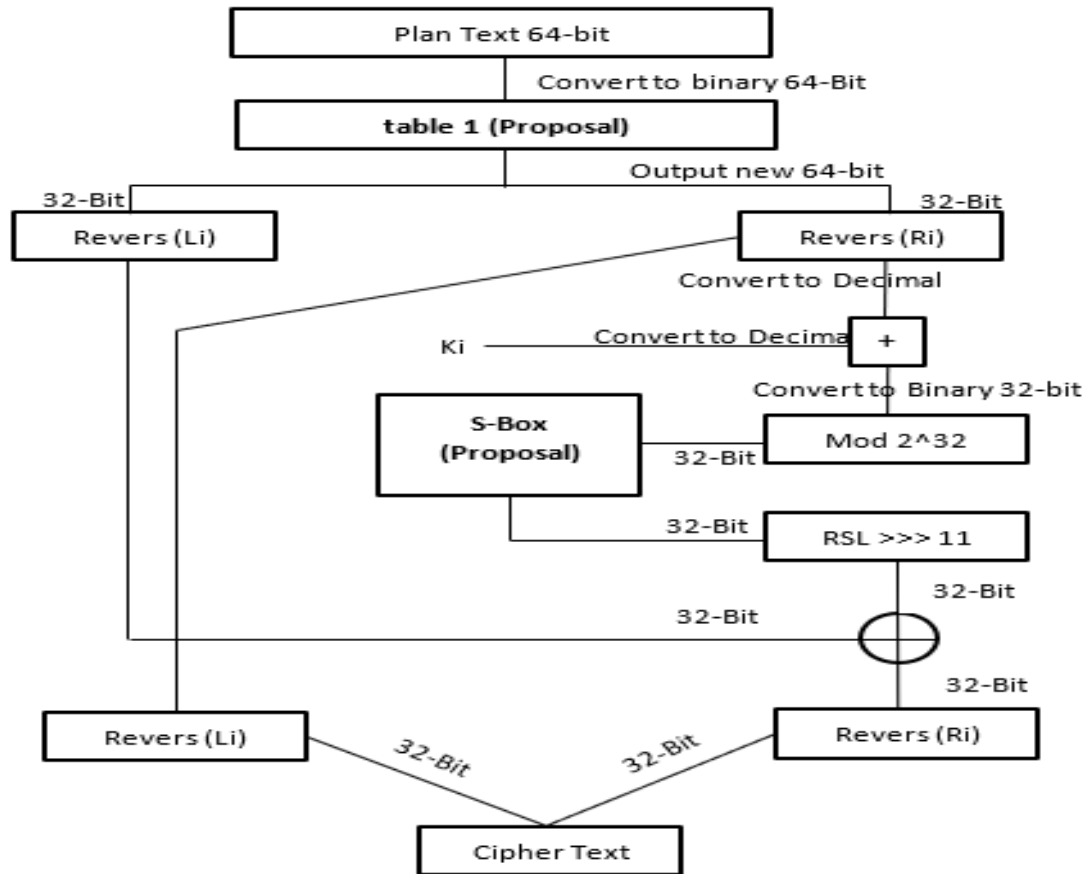


Figure 7: Encryption round proposal

PROPOSAL

We will discuss two proposed modifications to the GOST algorithm that try to make it harder to defeat and stronger against the attacks it is vulnerable to in this work. The first suggestion would be to establish a permutation table, which will be generated using a special algorithm as stated in Algorithm 2, and is referred to as initial permutation table 1 in this paper, with regard to the second suggestion, we will modify the S-box so that it has the same dimensions as the S-box standard established by the Central Bank of the Russian Federation and indicated in Table 1. We will explore this proposal in more detail later in this paper.

Algorithm (1)

-To generate random number

Input:

a,b,xo :initial value

output : generate random number between 0 to 15

begin:

step1: read initial value

step2: loop from 1 to 30

calculate the equation of random number $x1=(ax0 +b) \bmod m$
 check the output between 0 to 15 and store in array
 swap $x0$ to $x1$
 endloop
 step3:change the location of array
 swap location 2 with location 5
 swap location 3 with location 7
 swap location 4 with location 9
 step4 :end

Algorithm (2)

-generate initial permutation table (8,8)

Input : a, b, $x0$:initial value

output : generate random number between 1 to 64

begin:

step1: read initial value

step2: loop from 1 to 30

calculate the equation of random number $x1=(ax0 +b) \bmod m$

check the output between 0 to 15 and store in column1

swap $x0$ to $x1$

end loop

step3 :

loop from 2 to 8

column $i = \text{column } (i-1) + 8$

end loop

Whereas, by implementing Algorithm 1, we will create the initial permutation table1, which will be used in the encryption phase, in addition to generating its inverse, which is called the initial permutation table2, which will be used in the decryption phase. Tables 1 and 2 below show the generated tables.

table1

	0	1	2	3	4	5	6	7
0	18	10	2	26	34	42	50	58
1	20	12	4	28	36	44	52	60
2	22	14	6	30	38	46	54	62
3	24	16	8	32	40	48	56	64
4	17	9	1	25	33	41	49	57
5	19	11	3	27	35	43	51	59
6	21	13	5	29	37	45	53	61
7	23	15	7	31	39	47	55	63

Table 2: (initial permutation table1) used to Encryption process.

table2

	0	1	2	3	4	5	6	7
0	24	64	32	56	16	48	8	40
1	23	63	31	55	15	47	7	39
2	22	62	30	54	14	46	6	38
3	21	61	29	53	13	45	5	37
4	20	60	28	52	12	44	4	36
5	19	59	27	51	11	43	3	35
6	10	58	26	50	10	42	2	43
7	17	57	25	49	9	41	1	33

Table 3: (initial permutation table2) used to Decryption process.

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16
2	X15	X16	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14
3	X13	X14	X15	X16	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12
4	X11	X12	X13	X14	X15	X16	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10
5	X9	X10	X11	X12	X13	X14	X15	X16	X1	X2	X3	X4	X5	X6	X7	X8
6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X1	X2	X3	X4	X5	X6
7	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X1	X2	X3	X4
8	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X1	X2

Table 4: structure of S-Boxes

The standard S-boxes will also be modified in this paper, so that the proposed S-boxes will be the same size as the standard S-boxes but in a different arrangement than the existing ones. Therefore, the proposed S-Box will be generated by Algorithm (1) above and used in the encryption and decryption rounds and will be modified as follows: The algorithm will produce the first row, which consists of non-repeating numbers from 0 to 15, and then the second row will be generated after by taking the last two numbers from the first row and placing them at the beginning, followed by the rest of the numbers of the first row in order to complete the second row. The third row follows the second row in the same manner, and so on until the table is complete. Therefore, the proposed S boxes will be as shown in Table 4.

From the arrangement of the Table 4 above, the S-Boxes will be in the following Table 5:

	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	4	6	8	10	12	14	1	3	5	7	9	11	13	15	2	0
2	2	0	4	6	8	10	12	14	1	3	5	7	9	11	13	15
3	13	15	2	0	4	6	8	10	12	14	1	3	5	7	9	11
4	9	11	13	15	2	0	4	6	8	10	12	14	1	3	5	7
5	5	7	9	11	13	15	2	0	4	6	8	10	12	14	1	3
6	1	3	5	7	9	11	13	15	2	0	4	6	8	10	12	14
7	12	14	1	3	5	7	9	11	13	15	2	0	4	6	8	10
8	8	10	12	14	1	3	5	7	9	11	13	15	2	0	4	6

IMPLEMENTATION

We will implement the GOST algorithm after making modifications to it:

- Support key: “usedGOSTAlgorithmprocessmodified”.
- Plain text: “COMPUTER”.

1.Key Generator Process

1.1. conversion the Support key to the binary key of the 256-bit is as follow:

011101010111001101100101011001000100011101001111010100110101010001000001011
011000110011101101111011100100110100101110100011010000110110101110000011100
100110111101100011011001010111001101110011011011010110111101100100011010010
1100110011010010110010101100100

1.2. The key as above will be categorized into 8 parts.

```
K[0]:01110101011100110110010101100100
K[1]:01000111010011110101001101010100
K[2]:01000001011011000110011101101111
K[3]:01110010011010010111010001101000
K[4]:01101101011100000111001001101111
K[5]:01100011011001010111001101110011
K[6]:01101101011011110110010001101001
K[7]:01100110011010010110010101100100
```

2. Encryption process

The encryption process is as follows:

2.1. Encryption, round 0

2.1.1. Convert the Plain text to binary =

0100001101001111010011010101000001010101010101000100010101010010

2.1.2. Enter the Binary of Plaintext as above to table (table1) as show output as follow:

111111110001110101101110111010100000000000000000000110000011000001
 L0 = 1000001100000110000000000000000000
 R0 = 01010111011101101011100011111111

2.1.3.R0 + K0 mod 2³²

R0 = 1467398399

K0 = 648466094

$$\text{-----} +$$

$R = 2115864493 \bmod 2^{32} = 2115864493$. convert to binary:

01111110000111011000011110101101

2.1.4. Split it into eight parts and put it into S-Boxes.

0111 = 7 = S-Box (1) = 3 = 0011

1110 = 14 = S-Box (2) = 13 = 1101

0001 = 1 = S-Box (3) = 15 = 1111

1101 = 13 = S-Box (4) = 3 = 0011

1000 = 8 = S-Box (5) = 4 = 0100

0111 = 7 = S-Box (6) = 15 = 1111

1010 = 10 = S-Box (7) = 2 = 0010

1101 = 13 = S-Box (8) = 0 = 0000

0011101111100110100111100100000

2.1.5. Rotate Left Shift 11 times.

RLS (11) = 10011010011110010000000111101111

2.1.6. $R1 = R0 \text{ XOR } L0$

$R0 = 10011010011110010000000111101111$

$L0 = 10000011000001100000000000000000$

-----XOR

$R1 = 00011001011111110000000111101111$

2.1.7. $L1 = R1$

$L1 = 01010111011101101011100011111111$

2.2. Encryption, round 1

2.2.1. $L1 = 01010111011101101011100011111111$

$R1 = 00011001011111110000000111101111$

2.2.2. $R1 + K1 \bmod 2^{32}$

$R1 = 427753967$

$K1 = 717943522$

----- +

$R = 1145697489 \bmod 2^{32} = 1145697489$. convert to binary:

01000100010010011111010011010001

2.2.3. Split it into eight parts and put to S-Boxes.

0100 = 4 = S-Box (1) = 12 = 1100

0100 = 4 = S-Box (2) = 8 = 1000

0100 = 4 = S-Box (3) = 4 = 0100

1001 = 9 = S-Box (4) = 10 = 1010

1111 = 15 = S-Box (5) = 3 = 0011

0100 = 4 = S-Box (6) = 9 = 1001

1101 = 13 = S-Box (7) = 6 = 0110

0001 = 1 = S-Box (8) = 10 = 1010

11001000010010100011100101101010

2.2.4. Rotate Left Shift 11 times.

RLS (11) = 01010001110010110101011001000010

2.2.5. $R2 = R1 \text{ XOR } L1$

$R1 = 01010001110010110101011001000010$

R2 = 00000110101111011110111010111101

L2 = 00011001011111110000000111101111

2.3.1. $L_{31} = 11010111010011111111100111011111$

R31 = 1101000000111101010001010010100

$$R31 = 3493765780$$

K0 = 648466094

----- +
4142231874 mod 2^{32} = 4142231874 convert to binary:
11110110111001010111000101000010

$$1111 = 15 = \text{S-Box}(1) = 0 = 0000$$
$$0110 = 6 = \text{S-Box (2)} = 12 = 1100$$
$$1110 = 14 = \text{S-Box (3)} = 9 = 1001$$
$$0101 = 5 \quad = \text{S-Box (4)} = 0 \quad = 0000$$
$$0111 = 7 \quad = \text{S-Box (5)} = 0 \quad = 0000$$
$$0001 = 1 = \text{S-Box (6)} = 3 = 0011$$
$$0100 = 4 \quad = \text{S-Box (7)} = 5 \quad = 0101$$
$$0010 = 2 = \text{S-Box (8)} = 12 = 1100$$

0000110010010000000001101011100

RLS (11) = 10000000000110101110000001100100

$$\mathbf{R31} = 10000000000110101110000001100100$$

L31 = 1101011101001111111100111011111

-----XOR

L32 = 01010111010101010001100110111011

R32 = 11010000001111101010001010010100

$$R_{32} = a_{32}, a_{31}, \dots a_1$$
$$R = a_1, \dots, a_{32}, b_1, \dots, b_{32}$$

R in Binary =

$11111110001110101101110111010100000000000000000000110000011000001$

Convert to text:

Cipher Text =)E|VT| ÿ¬Ω

The decryption method is the opposite of the encryption method. GOST decryption method uses the same algorithm as the encryption method. Suppose selection up the key and ciphertext above, the decryption method is as follows:



3.1. Decryption, round 0

3.1.1. Cipher Text =)E|VT| ÿ-Ω

Convert to Binary:

0010100101000101011111000000101111011101100110001010101011101010

L0 = 01010111010101010001100110111011

R0 = 11010000001111101010001010010100

3.1.2. $R0 + K0 \text{ mod } 2^{32}$

R0 = 3493765780

K0 = 648466094

----- +

4142231874 mod 2^{32} = 4142231874 convert to binary:

11110110111001010111000101000010

3.1.3. Split it into eight parts and put it into S-Boxes:

1111 = 15 = S-Box (1) = 0 = 0000

0110 = 6 = S-Box (2) = 12 = 1100

1110 = 14 = S-Box (3) = 9 = 1001

0101 = 5 = S-Box (4) = 0 = 0000

0111 = 7 = S-Box (5) = 0 = 0000

0001 = 1 = S-Box (6) = 3 = 0011

0100 = 4 = S-Box (7) = 5 = 0101

0010 = 2 = S-Box (8) = 12 = 1100

00001100100100000000001101011100

3.1.4. Rotate Left Shift 11 times.

RLS (11) = 10000000000110101110000001100100

3.1.5. $R1 = R0 \text{ XOR } L0$

R0 = 10000000000110101110000001100100

L0 = 01010111010101010001100110111011

----- XOR

R1 = 1101011101001111111100111011111

3.1.6. $L1 = R0$

L1 = 11010000001111101010001010010100

3.2. Decryption, round 1

3.2.1. $L1 = 11010000001111101010001010010100$

R1 = 1101011101001111111100111011111

3.2.2. $R1 + K1 \text{ mod } 2^{32}$

R1 = 3612342751

K1 = 717943522

----- +

4330286273 mod 2^{32} = 35318977 convert to binary: 00000010000110101110110011000001

3.2.3. Split to eight part and put to S-Boxes:

0000 = 0 = S-Box (1) = 4 = 0100

0010 = 2 = S-Box (2) = 4 = 0100

0001 = 1 = S-Box (3) = 15 = 1111

1010 = 10 = S-Box (4) = 12 = 1100



1110 = 14 = S-Box (5) = 1 = 0001
 1100 = 12 = S-Box (6) = 8 = 1000
 1100 = 12 = S-Box (7) = 4 = 0100
 0001 = 1 = S-Box (8) = 10 = 1010
 01000100111111000001100001001010

3.2.4. Rotate Left Shift 11 times.

RLS (11) = 11100000110000100101001000100111

3.2.5. R2 = R1 XOR L1

R1 = 11100000110000100101001000100111
 L1 = 11010000001111101010001010010100
 ----- XOR

R2 = 00110000111111001111000010110011

3.2.6. L2 = R1

L2 = 1101011101001111111100111011111

3.3. Decryption, round 31

3.3.1. L31 = 00011001011111110000000111101111

R31 = 01010111011101101011100011111111

3.3.2. R31 + K0 mod 2³²

R31 = 1467398399

K0 = 648466094

----- +

2115864493 mod 2³² = 2115864493 convert to binary:

01111110000111011000011110101101

3.3.3. Split to eight part and put to S-Boxes

0111 = 7 = S-Box (1) = 3 = 0011
 1110 = 14 = S-Box (2) = 13 = 1101
 0001 = 1 = S-Box (3) = 15 = 1111
 1101 = 13 = S-Box (4) = 3 = 0011
 1000 = 8 = S-Box (5) = 4 = 0100
 0111 = 7 = S-Box (6) = 15 = 1111
 1010 = 10 = S-Box (7) = 2 = 0010
 1101 = 13 = S-Box (8) = 0 = 0000
 00111101111100110100111100100000

3.3.4. Rotate Left Shift 11 times.

RLS (11) = 10011010011110010000000111101111

3.3.5. L32 = R31 XOR L31

R31 = 10011010011110010000000111101111
 L31 = 00011001011111110000000111101111
 ----- XOR
 L32 = 10000011000001100000000000000000

3.3.6. R32 = R31

R32 = 01010111011101101011100011111111

3.3.7. L32 = b32, b31, ... b1

$$R_{32} = a_{32}, a_{31}, \dots a_1$$
$$R = a_1, \dots, a_{32}, b_1, \dots, b_{32}$$

R in Binary =

[illegible]

3.3.8. Enter the R as above to Table (table2) to show output as follow:

0100001101001111010011010101000001010101010101000100010101010010

Convert to text:

Plain Text = **COMPUTER**

CONCLUSION

Since the S-boxes are not specified in the original standard, we presented a new version of GOST that employs a new, cryptographically robust S-box. We also talked about how to choose an appropriate method for choosing S-boxes. To achieve the best outcomes, an S-box must be designed with the size and time characteristics minimized. The boxes were built in the form of a moving table of values, where in each round we get new and different values, and this change gives the time to break the encryption. A table was also added when entering the plain text to change the locations of the entered values.

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